Integrated **W**ater **F**low **M**odel (IWFM)

CWEMF Peer Review Workshop

onIntegrated Groundwater/Surface Water Models

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Outline

- \bullet **Introduction**
- Overview of IWFM
- Applications
- \bullet On-going developments and future plans

Introduction

- What is an Integrated Groundwater Surface Water model?
- \bullet Why was IWFM developed?
- \bullet DWR's guiding principles for model development
- \bullet Historical timeline for IWFM development
- \bullet Documents released to the CWEMF Peer Reviewers
- \bullet **Summary**

What is an Integrated Groundwater – Surface Water model

Why was IWFM Developed

- To improve accounting of ground water and the surfaceground water interaction in the CVP-SWP system model CalSim3
- As a stand-alone to better understand the historical evolution of water resources in the Central Valley (C2VSIM)
- To study the impacts of climate change on long term ground water conditions and of meeting future demands with constrained supplies
- Tool to address the complexities of planning for and implementing Integrated Regional Water Management Plans and others

Guiding Principles for Model Development

- Meets DWR needs
- Non-proprietary models (to the extent possible)
- \bullet Technically qualified staff in development, enhancement, application, and technical support
- \bullet Transparency in development and stakeholders input
- \bullet Public availability (free) through GNU license
- \bullet Practicality in applications

Historical Timeline for IWFM Development

Documents Released to Peer Reviewers

Model Documentation

- 1. IWFM v3.02 Theoretical Documentation **(print, digital)**
- 2. IWFM v3.02 User's Manual **(print, digital)**
- 3. Source code **(digital)**
- 4. Verification Problems for IWFM **(print, digital)**
- 5. IWFM-MODFLOW FMP Comparison Documents **(print, digital)**
- 6. Accuracy control and performance enhancement of linear solvers for the Integrated Water Flow Model (Dixon et. al, 2010) **(print, digital)**
- 7. Flow computation and mass balance in Galerkin finite-element groundwater models (Dogrul and Kadir, J. Hydraulic Engineering, 2006) **(print, digital)**
- 8. Error control of iterative linear solvers for integrated groundwater models (Dixon et. al, Ground Water, 2011) **(print, digital)**

Documents Released to Peer Reviewers (cont)

Field Applications

- 1. Butte County IWFM model documents **(digital)**
- 2. Walla Walla Basin, Oregon model documentation **(digital)**
- 3. Drought resilience of the California Central Valley surface-ground- waterconveyance system (Miller et. al, JAWRA, 2009) **(print, digital)**
- 4. IDC application by WRIME to Treasure Valley in Idaho **(digital)**
- 5. WESTSIM **(digital)**

Note: The C2VSIM documentation was released in May 2012 for internal review prior to public release. It is available to the Peer Reviewers

Summary

- Sound theoretical basis
- **Extensively tested**
- Well documented
- \bullet Available for free to the public (posted on website)
- Technical support
- \bullet Numerous applications at regional scales
- Peer reviewed
- \bullet Linked to system (reservoir allocation) model CalSim 3.0

Integrated Water Flow Model (IWFM): **Overview**

- An open-source, regional-scale integrated hydrologic model that simulates groundwater flow, surface flows, and surface-groundwater interactions
- A tool that allows the user to represent agricultural and urban water management practices, and their effects on the water system
- A planning and analysis tool as it computes agricultural and urban water demands based on climatic, soil, land-use and agronomic parameters, and tries to meet this demand with pumping and stream diversions
- Written in FORTRAN

IWFM: Overview

Groundwater Flow

- Flow simulation for a combination of confined, unconfined, and leaky aquifer layers separated by aquitards or aquicludes
- Simulation of changing aquifer conditions and subsidence
- \bullet Quasi 3-dimensional approach
- Use of Galerkin finite element method for the numerical solution of the governing equation

Groundwater Flow Equation

$\left(\textsf{T}\;\,\bar{\nabla}\textsf{h}\right)$ + $\textsf{I}_{\textsf{u}}\textsf{L}_{\textsf{u}}\left(\textsf{h}\,{-}\,\textsf{h}_{\textsf{u}}\right)$ + $\textsf{I}_{\textsf{d}}\textsf{L}_{\textsf{d}}\left(\textsf{h}\,{-}\,\textsf{h}_{\textsf{d}}\right)$ ∂ −∇ ∇ + [−] + [−] [−] ⁼ \widehat{O} $\frac{\mathbf{s} \cdot \mathbf{u}}{4} - \bar{\nabla} \left(\mathbf{T}^\top \bar{\nabla} \mathbf{h} \right) + \mathbf{I}_\mathbf{u} \mathbf{L}_\mathbf{u} \left(\mathbf{h} - \mathbf{h}_\mathbf{u} \right) + \mathbf{I}_\mathbf{d} \mathbf{L}_\mathbf{d} \left(\mathbf{h} - \mathbf{h}_\mathbf{d} \right)$ **S h** $\overline{\mathbf{I}} - \nabla (\mathbf{T} \ \nabla \mathbf{h}) + \mathbf{I}_\mathbf{n} \mathbf{L}_\mathbf{n} (\mathbf{h} - \mathbf{h}_\mathbf{n}) + \mathbf{I}_\mathbf{d} \mathbf{L}_\mathbf{d} (\mathbf{h} - \mathbf{h}_\mathbf{d}) - \mathbf{Q} = \mathbf{0}$ **t** $\overline{}$ v $\overline{}$ v $\overline{}$

- $\rm S_{s}$ ⁼ Storativity, (dimensionless);
- $h =$ Groundwater head, (L) ;
- $T = T$ ransmissivity = Kh, (L²/T);
- $K = Hyd$ raulic conductivity; (L/T);
- h_{s} $=$ Saturated thickness of aquifer, (L) ;
- $t = Time(T);$
- I_u,I_d = Indicator functions for top and bottom aquifer, (dimensionless);
- h_u,h_d = Groundwater head at adjacent upper and lower aquifer layers, (L/T);
- L_u,L_d = Leakage coefficients of adjacent upper and lower aquifer layers, (1/T);
- $Q =$ Source/sink term, (L/T) .

Boundary Conditions for Groundwater

- Specified head
- Specified flow
- General head boundary conditions
- \bullet Small stream watersheds as dynamically computed flow boundary conditions

Pumping

• Pumping by well

- Used when exact location and construction details of wells are known
- Pumping at the well is distributed to aquifer layers based on the screened interval of the well in an aquifer layer

Pumping

• Pumping by element

- Used when detailed well information is not available, but pumping amounts for an area that is represented by multiple finite element cells are known
- Pumping is distributed horizontally to cells with respect to developed area in each cell (surrogate for water demand)
- In each cell, pumping is distributed to aquifer layers based on user specified fractions

Tile Drains

 \bullet Tile drains are simulated as general head boundary conditions:

 $\mathbf{Q_{td}}$ = $\mathbf{C_{td}}$ $\mathbf{z_{td}}$ \mathbf{h} $\big)$ \leq $\mathbf{0}$

 Q_{td} = tile drain flow, [L 3 /T] $\mathrm{C_{\scriptsize{td}}}$ = conductance, [L 2 /T] $\mathsf{z}_{\mathsf{td}}\ =$ tile drain elevation, [L] $h =$ groundwater head, $[L]$

• Tile drain flows can be directed into specified stream nodes or outside the model area

Subsidence

- Optional simulation of elastic and inelastic compaction of interbed materials
- Storage change due to subsidence is added to the groundwater equation

$$
q_s=S_s\frac{\partial h}{\partial t}\quad;\quad S_s'=\begin{cases} S_{se}b_o\;\;\text{if}\;\; h>h_c\\ S_{s i}b_o\;\;\text{if}\;\; h\leq h_c \end{cases}\quad;\quad \Delta b=\begin{cases} -\Delta h S_{se}b_o\;\;\text{if}\;\; h>h_c\\ -\Delta h S_{s i}b_o\;\;\text{if}\;\; h\leq h_c \end{cases}
$$

 $\mathtt{q_s}\;$ = $\;$ rate of inflow or outflow due to subsidence, (L/T)

- S_se = $\,$ elastic specific storage, (1/L) $\,$
- \mathbf{S}_{si} = inelastic specific storage, (1/L)
- $\mathtt{b_o}\mathtt{\ =}$ interbed thickness, (L)
- h $_{\rm c}$ = pre-consolidation head, (L)
- Δh = change in groundwater head, (L)

 $\Delta b =$ change interbed thickness, (L)

Stream Flow and Stream-Aquifer Interaction

- Assumption of zero storage at a stream node in computing stream flows; i.e. total inflow equals total outflow
- Fully coupled stream and groundwater conservation equations
- Simultaneous solution of stream and groundwater equations results in the computation of stream-aquifer interaction

Stream Flow

• Assumption of zero storage at a stream node

 $\mathbf{Q}_\mathbf{S} - \mathbf{Q}_\mathbf{Sin} + \mathbf{Q}_\mathbf{Sout} = \mathbf{0}$

- \textsf{Q}_s = stream flow, (L $^3\!/\!T)$
- $\mathsf{Q}_{\sin}\,$ = inflows into stream (flow from upstream nodes, return flow, $\,$ rainfall runoff, tributary inflows, tile drain, lake outflow, bypass, user specified flows), $(L³/T)$

 Q_{sout} = outflows from stream (diversions, bypass flows, stream-aquifer interaction), $(L³/T)$

 \bullet Assumption requires simulation time step to be large enough for stream flow to travel from upstream to downstream in a single time step

Stream-Groundwater Interaction

$$
\boldsymbol{Q}_{\text{slint}} = \boldsymbol{C}_{s} \bigg[max \big(\boldsymbol{h}_{s}, \boldsymbol{h}_{b} \big) - max \big(\boldsymbol{h}, \boldsymbol{h}_{b} \big) \bigg] \hspace{0.2cm} ; \hspace{0.2cm} \boldsymbol{C}_{s} = \frac{\boldsymbol{K}_{s}}{\boldsymbol{d}_{s}} L \boldsymbol{W}
$$

 Q_sink = stream-aquifer interaction, (L $^3\!/\mathrm{T})$

- $h =$ groundwater head, (L)
- h_s = stream surface elevation, (L)
- h_{b} = stream bottom elevation, (L)
- K_s $=$ stream bed hydraulic conductivity, (L/T)
- d_{s} $=$ stream bed thickness, (L)
- $L = length$ of stream segment, (L)
- $W =$ channel width, (L)

Stream Diversions

- Used to meet agricultural and urban water demands
- User-specified fractions of diversion become recoverable (recharge to groundwater) and nonrecoverable (evaporation) losses
- May be used to simulate spreading basins (100% recoverable and nonrecoverable losses)

Lakes and Lake-Aquifer Interaction

- \bullet One or more elements can be specified as lake elements
- \bullet Lakes are fully coupled with groundwater
- \bullet Lake storage is a function of precipitation, evaporation, inflows, lakeaquifer interaction and lake outflow

<mark>k</mark> – Q_{Ikin} + Q_{Ikout} **S** $\frac{C_K}{C_K} - Q_{1k,m} + Q_{1k,m+1} = 0$ **t** $\frac{\Delta \mathbf S_{\mathsf{I}\mathsf{k}}}{\Delta \mathsf{t}}$ – Q_{Ikin} + Q_{Ikout} =

- $\Delta \mathsf{S}_{\mathsf{lk}}$ $_{\rm k}$ = change in lake storage, (L³)
- Q_{lkin} ⁼ lake inflow (precipitation, inflows from streams and upstream lakes), (L 3/T)
- $Q_{\text{lkout}} =$ lake outflow (evaporation, lake spill, lake-aquifer interaction), (L 3 /T)

Lake-Groundwater Interaction

 $\mathbf{R}_{\mathsf{Ik}} = \mathbf{C}_{\mathsf{Ik}}\big[\max\big(\mathsf{h}_{\mathsf{Ik}},\mathsf{h}_{\mathsf{blk}}\big) - \max\big(\mathsf{h},\mathsf{h}_{\mathsf{blk}}\big)\big]$; $\mathbf{C}_{\mathsf{Ik}} = \frac{\mathsf{r}_{\mathsf{Ik}}}{\mathsf{r}_{\mathsf{Ik}}}$ A_{Ik} **lkK** $\bf Q_{\mathsf{lkint}} = \bf C_{\mathsf{lk}}\Big[\text{max}\big(h_{\mathsf{lk}},h_{\mathsf{blk}}\big)-\text{max}\big(h,h_{\mathsf{blk}}\big)\Big] \text{ ; }\ \bf C_{\mathsf{lk}} = \frac{\bf N_{\mathsf{lk}}}{d_{\mathsf{lk}}} \bf A_{\mathsf{lk}}$

- $\mathsf{Q}_{\mathsf{lkint}}$ = lake-aquifer interaction, (L 3 /T)
- $h =$ groundwater head, (L)
- h_{lk} = lake surface elevation, (L)
- h_{blk} = lake bottom elevation, (L)
- $\mathsf{K}_{\vphantom{\mathsf{I}}\mathsf{I}\vphantom{\mathsf{I}}\mathsf{K}}\ =\ \mathsf{l}\mathsf{a}\mathsf{k}\mathsf{e}\ \mathsf{bed}\ \mathsf{hyd}$ raulic conductivity, \vert (L/T)

$$
d_{ik} = \text{ lake bed thickness, (L)}
$$

 ${\sf A}_{\sf l \sf k}$ $\;$ = $\;$ area of lake, (L)

- \bullet Lake outflow is computed when lake surface elevation exceeds maximum lake elevation
- Lake outflow can be directed to a stream node or a downstream lake

- Land surface and root zone component makes IWFM a powerful tool as it routes the water through the root zone as well as calculates the water demands
- Calculation of water demands based on land-use, climate, soil and agronomic properties allows estimation of historical or future stresses (pumping and diversions) in a basin
- Simulated as one-dimensional vertical flow

- Precipitation and irrigation less direct runoff and return flow is the inflow into root zone
- \bullet Deep percolation from root zone is the inflow into unsaturated zone
- \bullet Net deep percolation from unsaturated zone is the recharge to groundwater
- 4 land-use types considered: agricultural, urban, native vegetation, riparian vegetation

 \bullet Unsaturated zone layer thicknesses are time-dependent; conservation equations in unsaturated zone layers are solved iteratively

 \bullet Governing conservation equation for the root zone:

$$
\theta_r^{t+1} \hspace{-0.1cm} = \hspace{-0.1cm} \theta_r^{t} \hspace{-0.1cm} + \hspace{-0.1cm} \left[(P \hspace{-0.05cm} - \hspace{-0.05cm} S_r \hspace{-0.05cm} \right] \hspace{-0.1cm} + \hspace{-0.1cm} \left[A_W \hspace{-0.05cm} - \hspace{-0.05cm} R_f \hspace{-0.05cm} \right] \hspace{-0.1cm} - \hspace{-0.1cm} = \hspace{-0.1cm} T_{\text{cadj}} \hspace{-0.1cm} - \hspace{-0.1cm} D_p \hspace{-0.1cm} \right] \hspace{-0.1cm} \Delta t
$$

where θ_r $=$ soil moisture, (L) ; $P =$ precipitation, (L/T) ; S_r $=$ surface runoff from precipitation, (L/T); A_{W} $=$ applied water, (L/T) ; R_f $=$ return flow of applied water, (L/T) ; $ET_{\text{cadi}} = \text{adjusted evaporation}, (L/T);$ D $=$ deep percolation, (L/T) ; $\Delta t =$ time step length, (T); = time step counter (dimensionless).

Initial condition

Step 1: Compute rainfall runoff and infiltration of precipitation

• Modified SCS Curve Number method (retention parameter, S, decreases as moisture goes above half of field capacity)

Step 2: Apply irrigation and initially assume all infiltrates

Step 3: Compute evapotranspiration (FAO Paper 56, 1998)

- Same as potential ET when moisture is at or above half of field capacity
- \bullet Decreases linearly when moisture is below half of field capacity

Step 4: Compute deep percolation if moisture is above field capacity Expressed using one of the methods below specified by user

- A fraction of moisture that is above field capacity
- \bullet $\bullet~$ Physically-based method using hydraulic conductivity; \mid $=$ K_s $\left(\frac{\theta_r}{\eta_T}\right)$ r $\left|P^{\, -1} \right| \frac{1}{\eta_{\mathsf{T}}}$ $\mathsf{D}_{\mathsf{D}}\!=\!\mathsf{K}$

4

Step 5: Compute return flow and update infiltration of applied water

IWFM Component Interactions

Simulation Scheme

A Need for Demand Computation

$$
\theta_r^{t+1} = \theta_r^t + \left[\left(P - S_r \right) \cdot \left(\overbrace{A_W} \right) R_f \right] - E T_{cadj} - D_p \right] \Delta t
$$

- \bullet Routing of water through a developed basin requires the knowledge of applied water
- \bullet In California, groundwater pumping is generally neither measured nor regulated; i.e. total historical applied water is unknown
- \bullet Most major surface diversions are measured in California's Central Valley but their spatial allocation may be unknown
- \bullet For planning studies applied water is an unknown and has to be computed dynamically
- To address the uncertainties in historical and future water supplies and where these supplies were/will be used, a demand-supply balance is needed

Agricultural Demand Computation

- \bullet Agricultural demand is the required amount of applied water in order to maintain optimum agricultural conditions
- \bullet At optimum agricultural conditions
	- 1) ET rates are at their potential levels for proper crop growth

2) soil moisture loss as deep percolation and return flow is minimized

3) minimum soil moisture requirement for each crop is met at all times

Agricultural Demand Computation

 \bullet Use governing conservation equation to express the applied water that will satisfy the optimum agricultural conditions:

$$
\Theta_{\text{min}} = \Theta_{\text{r}}^{t} + \left[\left(\text{P} - \text{S}_{\text{r}} \right) + \text{CU}_{AW} - \text{ET}_{\text{c}} \right] \Delta t
$$

$$
\Rightarrow \quad CU_{AW} = \frac{\theta_{min} - \theta_r^t}{\Delta t} - \left(P - S_r\right) + ET_c \quad \geq \quad 0
$$

$$
D_{ag} = \frac{CU_{AW}}{I_E}
$$

where

 CU_AW = potential consumptive use of applied water assuming 100% irrigation efficiency, (L/T)

- $I_{\rm E}$ = irrigation efficiency, (dimensionless)
- D_{aa} = agricultural water demand, (L/T)

Urban Water Demand and Moisture Routing

- \bullet Urban water demands are user-specified time-series input data
- Outdoor urban applied water and precipitation are routed through the root zone using the governing conservation equation
- \bullet Urban indoor applied water $\overline{}$ and precipitation over nonpervious urban areas become entirely return flow and surface runoff

Automated Supply Adjustment

- Automatic adjustment of diversions and pumping to meet agricultural and urban water demands
- Diversion or pumping adjustment can be turned on or off during simulation period (represents evolution of water supply facilities over time)
- All supplies have equal priorities; handling of complex water rights is deferred to systems models like CalSim

- \bullet Useful in estimating historical pumping in Central Valley, and future diversions and pumping
- \bullet No supply adjustment for native and riparian vegetation

Balance between Supply and Demand

- IWFM can route water supplies (diversions and pumping) as specified or automatically adjust supplies to meet demands (increase/decrease in diversions and/or pumping)
- When supplies are adjusted, they may still be less than demand if there is not enough water in the system
- When supply is less than demand deep percolation, return flows, moisture content and ET diminish; when larger than demand deep percolation, return flow and moisture content increase

User Interface

 \bullet IWFM consists of a pre-processor, a simulation and a postprocessor executables

User Interface

- \bullet Input files are tabular and contain comment fields
- \bullet Time-tracking simulations aware of actual date and time; input and output time-series data with date and time stamp
- \bullet Optional time-series data input from and output to HEC-DSS database
- Detailed budget tables for each simulated component
- \bullet Budget-To-Excel tool to import budget tables into Excel
- \bullet TecPlot ready output for 2-D and 3-D animations of groundwater heads and subsidence
- Mesh generator embedded in ArcGIS (state-of-the-art mesh generator-GIS linkage; paper accepted in June 2012 for publication in Geosciences & Computers)

Documentation and User Support

- \bullet Theoretical documentation, user's manual, reports, technical memorandums, previous presentations and posters, user's group presentations, and published articles in peer reviewed journals are available at the IWFM web site (google "IWFM")
- \bullet Technical support by DWR staff

Validation and Verification

\bullet Total of 11 verification runs; report available at IWFM web site (Ercan, 2006)

VERIFICATION PROBLEMS FOR IWFM

This report is prepared under the direction of

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By

Ali Erean

Department of Water Resources Bay-Delta Office **Modeling Support Branch** Hydrology and Operations Section

July 2006

Validation of Z-Budget Post-processor

Z-Budget: Sub-Domain Water Budgeting Post-Processor for IWFM

Theoretical Documentation and User's Manual

Hydrology Development Unit Modeling Support Branch Bay-Delta Office February, 2010

Flow Computation and Mass Balance in Galerkin Finite-Element Groundwater Models

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Abstract: In most eroundwater modeling studies, quantification of the flow rates at domain and subdomain boundaries is as important as the computation of the groundwater heads. The computation of these flow rates is not a trivial task when a finite-element mothod is chosen to solve the groundwater equation. Generally, it is believed that finite-element methods do not conserve mass locally. In this paper, a postprocessing technique is developed to compute mass-conserving flow rates at element faces. It postprocesses the groundwater head field obtained by the Galerkin finite-element method, and the calculated flow rates conserve mass locally and globally. The only requirement for the postprocessor to be applicable is the irrotationality of the flow field, i.e., the curt of the Darcy flux should be zero. The accuracy and the mass conservation properties of the new postmocessor are demonstrated using several test problems that include onetwo-, and three-dimensional flow systems in both homogeneous and heterogeneous analfer conditions.

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CE Database subject headings: Finite element method; Mass: Ground-water flow: Computer analysis: Computation: Hydrologic models.

Introduction

Finite-element methods, particularly the Galerkin finite-element method (GFEM), are commonly utilized in groundwater modeling studies because complex boundaries can be represented more closely. Generally, the momentum equation, i.e., Darcy equation, is substituted into the cauation of mass conservation, and the resulting equation is solved for the groundwater head. In most groundwater modeling studies, quantification of flow rates is as important as the simulation of the groundwater heads. One reason for this is that most groundwater basins are divided into political subdomains such as water districts, counties, or states with differing strategies of managing their groundwater resources. Simulation of smandwater flow rates between adjacent subdomains. caused by varying management strategies is sometimes the altimate goal of a modeling study. Another reason is the need to examine the detailed inflow/outflow commonents at a subdomainlevel during calibration and verification stages of a modeling study

When the flow rates are required, the conventional approach is to postmocess the groundwater head field, computed using GFEM, by substituting it into the Darcy equation and obtaining

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Note. Discussion open until April 1, 2007. Separate discussions must be submitted for individual papers. To extend the closing date by one month, a written request must be filed with the ASCE Managing Editor. The manuscript for this paper was submitted for review and possible publication on March 15, 2005; approved on December 29, 2005. This mover is nort of the *bournal of Hydraulic Envinseriou*, Vol. 132, No. 11. November 1, 2006. ©ASCE, ISSN 0733-9429/2006/11-1206-1214/ \$25.00.

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the flux field. Then, the normal consponent of the Darcy flux is integrated over the domain or subdomain boundary to obtain the flow rates. However, this postprocessing approach has been shown to generate flow rates that violate local as well as global mass balances. Yeh (1981) reported global mass balance errors of up to 30% when the conventional postprocessing method is used. He snegested that the finite-element approach that is used to simulate the symmetrester head field also be applied to Darry equation with the fluxes as the state variables. Although his method produced better results, test problems still showed mass balance errors of 2-9% (Yeh 1981). Commenting on Yeh's work, Lynch (1984) showed that precise global mass balance can be achieved in GFEM by proper treatment of the Dirichlet boundary conditions. He nointed out that the common practice of discarding Galarkin equations-the discrete version of the conservation equation-along Dirichlet boundaries violates the mass balance by requiring that these fluxes be approximated by the conventional postprocessing method. He showed that retaining the Galerkin equation at Dirichles boundaries as the equation for the flux resulted in precise global mass balance. Similar observations have been made by other researchers (Carey 1982; Carey et al. 1985; Haghes et al. 2000; Berger and Howington 2002; Carey 2002). In fact, the same idea can be used to compute the internal fluxes, i.e. once the examplastics head at an internal node is commited with GFEM that negle can be treated as a Dirichlet boundary and the Gaferkin cquation at the node can be solved for the flux (Hughes et al. 2000; Carey 2002). Cordes and Kinzelbach (1992) used an alternative postprocessing method where the elements were subdivided into patches and individual fluxes for each patch were computed by assuming that the flow field was irrotational. In their method, triangular and quadrilateral elements were treated separately.

The aim of this paner is to develop and test a nosturneessor that uses the groundwater heads computed by GFEM to obtainflow rates across finite-element faces, i.e., normal flux integrated along each of the element faces, that do not violate local and global mass balances. Once flow rates through each of the ele-

Key Limitations

- \bullet Time step and stream routing: Stream flow must travel from upstream to downstream within the length of time step for the zero-storage assumption to be valid
- Time step and rainfall runoff: Curve numbers need to be re-calibrated for different time steps (for California's Central Valley this is not an issue since time interval of available input data is itself a limitation)
- Spatial scale of demand and supply: Demand and supply computations are performed at subregional level in versions prior to IWFM 4.0
- Vertical distribution of pumping: Static distribution limits capability to simulate changes in the pumping depth during simulation period
- \bullet Aquifer and root zone thickness: Aquifer thickness should be large compared to root zone thickness to minimize error in case groundwater table is close to ground surface; likely to occur in native and riparian vegetation areas

Applications: California Central Valley Groundwater-Surface Water Simulation Model (C2VSim)

• **Finite Element Grid**

- 3 Layers or 9 Layers
- 1393 Nodes
- 1392 Elements

• **Surface Water System**

- 75 River Reaches
- 2 Lakes
- 243 Surface Water Diversions
- 11 Bypasses
- 210 Small-Stream Watersheds

• **Land Use Process**

- 21 Subregions (DSAs)
- 4 Land Use Types
	- Agriculture
	- •**Urban**
	- •**Native**
	- \bullet Riparian

• **Simulation periods**

• 10/1921-9/2009 (88 yrs)

Land Surface Budget

Source: Draft C2VSim Report; June 2012

Groundwater Budget

Source: Draft C2VSim Report; June 2012

C2VSim Water Budget Components

Average Flows for California's Central Valley for Water Years 2000-2009, in Millions of Acre-Feet per Year

Source: Draft C2VSim Report; June 2012

C2VSim Output GUI

C2VSim Output GUI

Applications: C2VSim Refined Grid

Applications: Drought Scenarios with C2VSim

- \bullet Droughts with intensities ranging from 30% to 70% reduction in stream flows, with durations ranging from 10 years to 60 years
- \bullet Land-use constant at 2003 level
- \bullet CalSim II was used to generate rim inflows under specified climatic conditions

 \bullet The impact of droughts on the groundwater and the groundwater recovery period were examined

Applications: Drought Scenarios with C2VSim-CVPM Linkage

- \bullet Same drought scenarios as in previous slide
- Cropping pattern modified based on logit functions that are trained using Central Valley Production Model (CVPM)
- \bullet The impact of droughts on the cropping patterns, groundwater storage and the groundwater recovery period were examined

Severe drought for 60 years

Applications: Conjunctive Use Analysis with C2VSim

SVWMP Wells

- 29 Districts
- 293 wells
- 187,633 AF/year

Operate non-wet years

- •1973 1 yr • 1976-81 6 yrs
- •1985 1 yr
- 1987-94 8 yrs
- 2000-03 4 yrs

Applications: Conjunctive Use Analysis with C2VSim

Other Applications

- \bullet Linkage of C2VSim to CalSim; i.e. CalSim 3.0
- \bullet IWFM application to Butte County (reports available on Butte County web site)
- IWFM application to Walla Walla Basin at Oregon and Washington border
- \bullet WESTSIM; application to Western San Joaquin Basin
- \bullet MercedSim; application to Merced County
- \bullet IWFM application to RD 2068 (Solano County)
- \bullet Root zone component of IWFM (i.e. IDC) used around California and in Idaho's Treasure Valley to predict future demands, in developing recharge rates for Modflow application to Riverside/San Bernandino counties, in developing recharge rat for MicroFEM application to Sacramento Valley

Future and On-going Developments

- \bullet IWFM v4.0 (released May 2012): Revamped root zone component, soil moisture routing and demand-supply computations at element level, explicit simulation of rice and refuge pond operations, dynamic computation of demand or use of contractual (i.e. pre-specified) demands
- More stand-alone IWFM components; e.g. groundwater
- \bullet Improved simulation of riparian vegetation
- \bullet Improved simulation of rainfall runoff and overland flow
- \bullet Improved hydraulic routing of stream flows that account for change in storage
- \bullet ArcGIS based GUI (currently being developed)
- \bullet Simulation of water quality(???)
- \bullet Migrate C2VSim to IWFM v4.0

Thank You

